

# BOARD QUESTION PAPER: MARCH 2025

## Mathematics Part - II

Time: 2 Hours

Max. Marks: 40

Note:

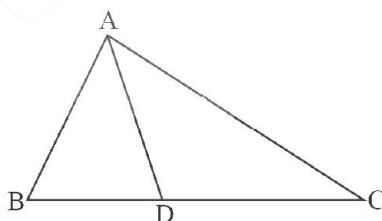
- i. All questions are compulsory.
- ii. Use of a calculator is not allowed.
- iii. The numbers to the right of the questions indicate full marks.
- iv. In case of MCQs [Q. No. 1(A)] only the first attempt will be evaluated and will be given credit.
- v. Draw proper figures wherever necessary.
- vi. The marks of construction should be clear. Do not erase them.
- vii. Diagram is essential for writing the proof of the theorem.

**Q.1. (A) Choose the correct alternative from given:** [4]

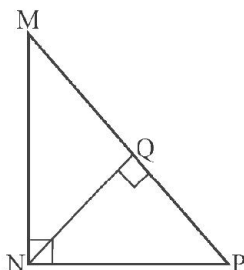
- i. Out of the following which is a Pythagorean triplet?  
 (A) (1, 5, 10) (B) (3, 4, 5)  
 (C) (2, 2, 2) (D) (5, 5, 2)
- ii.  $\angle ACB$  is inscribed angle in a circle with centre O. If  $\angle ACB = 65^\circ$ , then what is measure of its intercepted arc AXB?  
 (A)  $65^\circ$  (B)  $230^\circ$   
 (C)  $295^\circ$  (D)  $130^\circ$
- iii. Distance of point (3, 4) from the origin is \_\_\_\_\_.  
 (A) 7 (B) 1  
 (C) 5 (D) -5
- iv. If radius of cone is 5 cm and its perpendicular height is 12 cm, then the slant height is \_\_\_\_\_.  
 (A) 17 cm (B) 4 cm  
 (C) 13 cm (D) 60 cm

**(B) Solve the following sub-questions:** [4]

- i. In the following figure  $\triangle ABC$ ,  $B - D - C$  and  $BD = 7$ ,  $BC = 20$ , then find  $\frac{A(\triangle ABD)}{A(\triangle ABC)}$ .



- ii. In the following figure  $\angle MNP = 90^\circ$ , seg  $NQ \perp$  seg  $MP$ ,  $MQ = 9$ ,  $QP = 4$ , find  $NQ$ .



- iii. Angle made by a line with the positive direction of X-axis is  $30^\circ$ . Find slope of that line.

**Q.2. (A) Complete the following activities and rewrite it (any two):**

- i. The radius of a circle with centre 'P' is 10 cm. If chord AB of the circle subtends a right angle at P, find area of minor sector by using the following activity. ( $\pi = 3.14$ )

**Activity:**

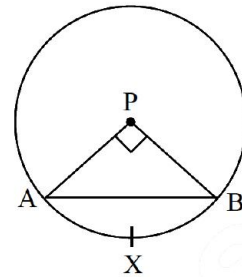
$r = 10 \text{ cm}, \theta = 90^\circ, \pi = 3.14.$

$$A(P-AXB) = \frac{\theta}{360} \times \square$$

$$= \frac{\square}{360} \times 3.14 \times 10^2$$

$$= \frac{1}{4} \times \square$$

$A(P-AXB) = \square \text{ sq.cm.}$



- ii. In the following figure chord MN and chord RS intersect at point D. If  $RD = 15$ ,  $DS = 4$ ,  $MD = 8$ , find DN by completing the following activity:

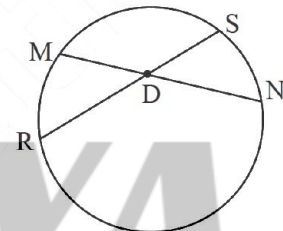
**Activity:**

$\therefore MD \times DN = \square \times DS$   
 ... (Theorem of internal division of chords)

$\therefore \square \times DN = 15 \times 4$

$\therefore DN = \frac{\square}{8}$

$\therefore DN = \square$



- iii. An observer at a distance of 10 m from tree looks at the top of the tree, the angle of elevation is  $60^\circ$ . To find the height of tree complete the activity. ( $\sqrt{3} = 1.73$ )

**Activity:**

In the figure given,  $AB = h =$  height of tree,  $BC = 10 \text{ m}$ , distance of the observer from the tree.

Angle of elevation ( $\theta$ ) =  $\angle BCA = 60^\circ$

$\tan \theta = \frac{\square}{BC}$  ... (i)

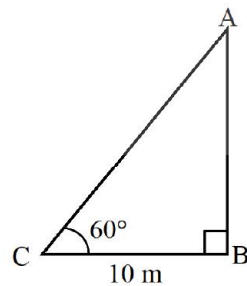
$\tan 60^\circ = \frac{\square}{10}$  ... (ii)

$\frac{AB}{BC} = \sqrt{3}$  ... [from (i) and (ii)]

$AB = BC \times \sqrt{3} = 10\sqrt{3}$

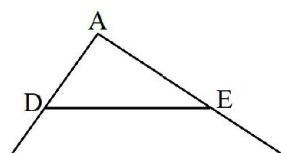
$AB = 10 \times 1.73 = \square$

$\therefore$  height of the tree is  $\square \text{ m.}$

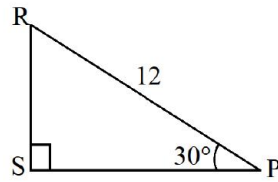


**(B) Solve the following sub-questions (any four):**

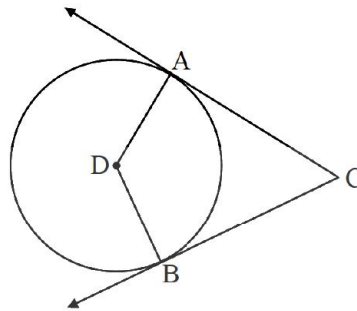
- i. In  $\triangle ABC$ ,  $DE \parallel BC$ . If  $DB = 5.4 \text{ cm}$ ,  $AD = 1.8 \text{ cm}$ ,  $EC = 7.2 \text{ cm}$ , then find AE.



- ii. In the figure given below, find RS and PS using the information given in  $\Delta PSR$ .



- iii. In the following figure, circle with centre D touches the sides of  $\angle ACB$  at A and B. If  $\angle ACB = 52^\circ$ , find measure of  $\angle ADB$ .



- iv. Verify, whether points, A(1, -3), B(2, -5) and C(-4, 7) are collinear or not.  
 v. If  $\sin \theta = \frac{11}{61}$ , find the values of  $\cos \theta$  using trigonometric identity.

**Q.3. (A) Complete the following activities and rewrite it (any one):** [3]

- i. In the following figure,  $XY \parallel \text{seg } AC$ . If  $2AX = 3BX$  and  $XY = 9$ . Complete the activity to find the value of AC.

**Activity:**

$2AX = 3BX$  ...[Given]

$\therefore \frac{AX}{BX} = \frac{3}{\quad}$

$\frac{AX+BX}{BX} = \frac{3+2}{2}$  ...[by componendo]

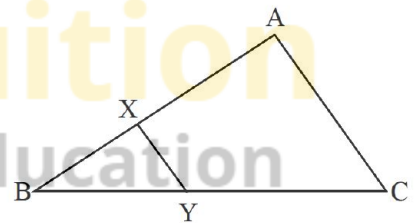
$\frac{\quad}{BX} = \frac{5}{2}$  ... (i)

Now  $\Delta BCA \sim \Delta BYX$  ...[  test of similarity]

$\therefore \frac{BA}{BX} = \frac{AC}{XY}$  ...[corresponding sides of similar triangles]

$\frac{\quad}{\quad} = \frac{AC}{9}$  ...[from (i)]

$\therefore AC = \quad$



- ii. Complete the following activity to prove that the sum of squares of diagonals of a rhombus is equal to the sum of the squares of the sides.

**Given:**

$\square PQRS$  is a rhombus. Diagonals PR and SQ intersect each other at point T.

**To prove:**

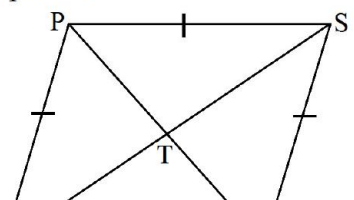
$PS^2 + SR^2 + QR^2 + PQ^2 = PR^2 + QS^2$

**Activity:**

Diagonals of a rhombus bisect each other.

In  $\Delta PQS$ , PT is the median and in  $\Delta QRS$ , RT is the median.

- $\therefore$  by Apollonius theorem,



$$QR^2 + SR^2 = \boxed{\phantom{0000}} + 2QT^2 \quad \dots(ii)$$

adding (i) and (ii),

$$PQ^2 + PS^2 + QR^2 + SR^2$$

$$= 2(PT^2 + \boxed{\phantom{0000}}) + 4QT^2$$

$$= 2(PT^2 + \boxed{\phantom{0000}}) + 4QT^2 \quad \dots(RT = PT)$$

$$= 4PT^2 + 4QT^2$$

$$= (\boxed{\phantom{0000}})^2 + (2QT)^2$$

$$\therefore PQ^2 + PS^2 + QR^2 + SR^2 = PR^2 + \boxed{\phantom{0000}}.$$

**(B) Solve the following sub-questions (any two):**

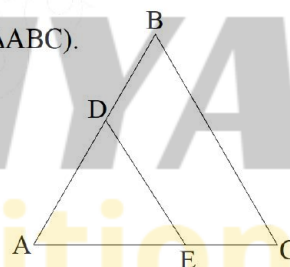
[6]

- i. Show that points P(1, -2), Q(5, 2), R(3, -1), S(-1, -5) are the vertices of a parallelogram.
- ii. Prove that tangent segments drawn from an external point to a circle are congruent.
- iii. Draw a circle with radius 4.1 cm. Construct tangents to the circle from a point at a distance 7.3 cm from the centre.
- iv. How many solid cylinders of radius 10 cm and height 6 cm can be made by melting a solid sphere of radius 30 cm?

**Q.4. Solve the following sub-questions (any two):**

[8]

- i. In the following figure DE || BC, then:
  - a. If DE = 4 cm, BC = 8 cm, A(ΔADE) = 25 cm<sup>2</sup>, find A(ΔABC).
  - b. If DE : BC = 3 : 5, then find A(ΔADE) : A(□DBCE).



- ii. ΔABC ~ ΔPQR. In ΔABC, AB = 3.6 cm, BC = 4 cm and AC = 4.2 cm. The corresponding sides of ΔABC and ΔPQR are in the ratio 2 : 3, construct ΔABC and ΔPQR.
- iii. The radii of the circular ends of a frustum of a cone are 14 cm and 8 cm. If the height of the frustum is 8 cm, find: (π = 3.14)
  - a. Curved surface area of frustum.
  - b. Total surface area of the frustum.
  - c. Volume of the frustum.

**Q.5. Solve the following sub-questions (any one):**

[3]

- i. □ABCD is a rectangle. Taking AD as a diameter, a semicircle AXD is drawn which intersects the diagonal BD at X. If AB = 12 cm, AD = 9 cm, then find the values of BD and BX.
- ii. Taking θ = 30° to verify the following Trigonometric identities:
  - a. sin<sup>2</sup> θ + cos<sup>2</sup> θ = 1
  - b. 1 + tan<sup>2</sup> θ = sec<sup>2</sup> θ
  - c. 1 + cot<sup>2</sup> θ = cosec<sup>2</sup> θ.